

































	a Implementation		
1	/** Sort the subarray S[ab] inclusive. */		
2 3	<pre>private static <k> void quickSortInPlace(K[] S, Comparator<k> comp, int a int b) (</k></k></pre>		
Ψ	int a, int b) { if $(a \ge b)$ return; // subarray is trivially sorted		
4	in $(a \ge b)$ return, // subarray is trivially sorted int left = a:		
	int left = a; int right = $b-1$ ;		
6	Int right = $b-1$ ; K pivot = $S[b]$ ;		
8	K pivot = S[b], K temp; // temp object used for swapping		
9	while (left <= right) {		
10	// scan until reaching value equal or larger than pivot (or right marker)		
10	while (left <= right && comp.compare(S[left], pivot) < 0) left++;		
12	// scan until reaching value equal or smaller than pivot (or left marker)		
13	while (left $\leq$ right && comp.compare(S[right], pivot) > 0) right;		
14	if (left <= right) { // indices did not strictly cross		
15	// so swap values and shrink range		
	temp = S[left]; S[left] = S[right]; S[right] = temp;		
17	left++; right;		
18	}		
	}		
20	<pre>// put pivot into its final place (currently marked by left index) temp = S[left]; S[left] = S[b]; S[b] = temp;</pre>		
21			
22	// make recursive calls		
	quickSortInPlace(S, comp, a, left $- 1$ ); quickSortInPlace(S, comp, left $+ 1$ , b);		
24			
25			

Summary of Sorting Algorithms			
Algorithm	Time	Notes	
selection-sort	<b>O</b> ( <b>n</b> <sup>2</sup> )	<ul><li>in-place</li><li>slow (good for small inputs)</li></ul>	
insertion-sort	<b>O</b> ( <b>n</b> <sup>2</sup> )	<ul><li>in-place</li><li>slow (good for small inputs)</li></ul>	
quick-sort	O(n log n) expected	<ul> <li>in-place, randomized</li> <li>fastest (good for large inputs)</li> </ul>	
heap-sort	<b>O</b> ( <b>n</b> log <b>n</b> )	<ul><li>in-place</li><li>fast (good for large inputs)</li></ul>	
merge-sort	<b>O</b> ( <b>n</b> log <b>n</b> )	<ul><li>sequential data access</li><li>fast (good for huge inputs)</li></ul>	
Goodrich, Tamassia, Goldwass	er Quick-Sort	19	